Here is a partial sample exam so that you can have some practice with some diverse examples of the formatting and questions. The actual test will differ. See also the study guide under Mon 6/24.

Exam 3 - Math 1010 - NAME $\qquad$
Follow the directions carefully. Your grade will be based on the quality and depth of your responses in this timed environment. Please note that informal phrasing and bullet points are fine.
(Analyzing Probability and Chance in HIV Testing) In 2016, approximately 36,700,000 people worldwide were living with HIV out of $7,600,000,000$ total (source http://www.amfar.org/worldwide-aidsstats/)
a) What is the probability that someone is HIV+? Show work, leave as a decimal, and round to 4 decimal places.
b) What is the probability that a someone is HIV-? Show work, leave as a decimal, and round to 4 decimal places.
c) Suppose we have 100,000 representatives from around the world and the ELISA test correctly tests positive for $95 \%$ of those who have the disease, and has a false negative of $5 \%$. It correctly tests negative for $99 \%$ of those who do not have the disease, and has a false positive of $1 \%$. Compute the number of people in each cell. Show work and round to whole numbers of people.

|  | Test + | Test - |
| :--- | :--- | :--- |
| Person is HIV+ |  |  |
| Person is HIV- |  |  |
| Total |  |  |

d) Approximately what percentage of people who test positive is actually HIV+? Show work.
e) Say the cost was going to be a $\$ 10$ per person as a deductible. Would you support legislation for mandatory HIV testing worldwide using the ELISA HIV test? Take the statistics into consideration as you explain your reasoning.
(Data Analysis: Investigating \& Interpreting Key Features of Graphical Boxplots) Say that every year from 1967 to 1981, average SAT scores declined or stayed the same. Yearly data of decreasing verbal and math scores from 1967 to 1981 were used to create:

a) USE only the initial beginning and ending data to label the $\underline{\mathbf{h i}}$ and $\underline{\mathbf{l}}$ of verbal scores and the year each occurred on the verbal boxplot:
Year Verbal Math
1967466492
1981424466
b) USE a ruler or straight edge to very carefully draw ONE line across to the y-axis from the median verbal score on the verbal boxplot. Note: this score does NOT end in a 5 (draw your line very precisely!).
c) Label the year that this median score occurred on the verbal boxplot after calculating the median (not the average!).
d) Use only the work you did above in order to determine how many points verbal scores declined from the 1967 to the median year? Show work.
e) Similarly, determine how many points verbal scores declined from the median year to 1981? Show work.
f) Use only parts e) and f) to give a positive advertising spin on decreasing verbal SAT scores. Ie, the fact that they are decreasing is negative, but use parts d) and e) only to say something positive about the decline.
g) Use only the math and verbal boxplots to give a positive advertising spin on decreasing mathematics SAT scores.
h) What are the difficulties in studying whether there are gender or racial biases on the SAT?
i) Explain how we can help get rid of the threat/vulnerability by changing the way we test.

Part 2: Group Time
NAME
Work alone until I say it is "group time." Then you may work alone or in groups (or a combination!). The idea is to give you opportunities to communicate course content with your peers, since this is one of ASU's main educational goals: " Successful communicators interact effectively with people of both similar and different experiences and values." The only guidelines are that each person must eventually write up and turn in their own, the only resources you are allowed to use is each other, and you should spend the time inside the classroom effectively engaging.
(Analyzing Probability and Chance in Gallup Polls) On April 4, 2017, Gallup published poll results on its web site under the headline, "Affordable Care Act Gains Majority Approval for First Time." Of 1,023 adults surveyed, $55 \%$ of them responded "approve" to the question, "Do you generally approve or disapprove of the 2010 Affordable Care Act, signed into law by President Obama, that restructured the U.S. healthcare system?" The article also notes that the ACA had never before showed majority support in Gallup polling, but that $48 \%$ of the sample said "approved" the first time the current version of the question was asked in November 2012.
a) If this was a simple random sample of the 1023 adults in 2017, what would the conservative $95 \%$ confidence interval margin of error be? Show work.
b) Gallup gives a $95 \%$ confident margin of error of plus or minus $3 \%$ for the 2012 poll, which had $48 \%$ of the sample "approved." Give the lower and upper boundaries for $95 \%$ confidence intervals.
lower boundary upper boundary
c) Give the lower and upper boundaries for $95 \%$ confidence intervals for the "approve" results for the 2017 poll, which had $55 \%$ of the sample "approved" and a margin of error plus or minus $4 \%$.
lower boundary upper boundary
d) Assume for this question that Gallup's sample is indeed representative of the population (e.g., no bias). If you take into account Gallup's margin of errors when you interpret the poll results, is it statistically valid for Gallup to make the statements it did in the headline "Affordable Care Act Gains Majority Approval for First Time? Critique and explain.
e) Assume little to no bias and truly a random sample. If a polling company conducted 100 such polls with a $95 \%$ confidence interval, then about how many of them are likely to include the true population percentage?
f) Is there any way to know which intervals contain the true percentage and which ones don't? Circle one: yes no
g) Explain what $95 \%$ confidence interval means using the definition from our book and class activities.
h) Explain why a one-time phone call has too much bias in it for a survey, even among just the phone users population.
i) Explain how could we still use phones but create a somewhat better sample?

Discuss an instance from the probability and statistics segment where the theme of local to global played a role. Be sure to specify what was local, what was global, and how these perspectives related/differed.

What is a probability and how does it relate to truth in mathematics and statistics?

Even though there is no direct proof of causation in probability and statistics, unlike with algebra and geometry, explain how we can eventually be convinced of the truth of a causation, using ideas from our probability and statistics segment.

See the study guide under Mon $\mathbf{6} / 24$ for additional concepts to review.

