

Terms for Test 3

1. invertible
2. determinant of 2×2
3. determinant of 3×3 via 6 diagonals
4. determinant via Laplace expansion
5. span of v_1, v_2, \dots, v_k
6. v_1, v_2, \dots, v_k span \mathbb{R}^n
7. v_1, v_2, \dots, v_k linearly independent
8. subspace
9. basis for a subspace
10. column space of A
11. homogeneous equation
12. null space of A
13. eigenvalue
14. eigenvector
15. characteristic equation for eigenvalues
16. eigenspace and solving for a basis
17. eigenvector decomposition
18. trajectory
19. long term behavior (rate and direction/line)

Examples

1. determinant of 3×3 via the diagonal method
2. determinant of 3×3 by Laplace expansion
3. column space and null space of a matrix
4. a projection matrix and its eigenvectors and eigenvalues
5. a reflection matrix and its eigenvectors and eigenvalues
6. a shear matrix and its eigenvectors and eigenvalues
7. a rotation matrix and its eigenvectors and eigenvalues

Write out *definitions, big picture ideas, multiple representations and/or examples* (whatever you would find the most helpful) as we cover them, or as a review of previous material.

1. A is invertible if
2. determinant of 2×2
3. determinant of 3×3 via 6 diagonals
4. determinant via Laplace expansion
5. span of v_1, v_2, \dots, v_k
6. v_1, v_2, \dots, v_k span \mathbb{R}^n ?

7. v_1, v_2, \dots, v_k linearly independent
8. subspace
9. basis for a subspace
10. column space of A
11. homogeneous equation
12. null space of A
13. eigenvalue
14. eigenvector
15. characteristic equation for eigenvalues
16. eigenspace and solving for a basis
17. eigenvector decomposition
18. trajectory
19. long term behavior (rate and direction/line)

Write out *examples* for the following:

1. determinant of 3×3 via the diagonal method
2. determinant of 3×3 by Laplace expansion
3. column space and null space of a matrix
4. a projection matrix and its eigenvectors and eigenvalues
5. a reflection matrix and its eigenvectors and eigenvalues
6. a shear matrix and its eigenvectors and eigenvalues
7. a rotation matrix and its eigenvectors and eigenvalues