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 It is a linear space that we can find geometrically or algebraically using a generic vector

$$c_1\vec{v}_1+\cdots+c_n\vec{v}_n=egin{bmatrix} b_1\b_2\ dots \end{pmatrix}$$