Think about a possible answer(s), discuss your thoughts with your neighbors, and respond on pollev.com/drsarah314

Which of the following is $\alpha'(s)$ where *s* is the arc length parameter?

- a) velocity
- b) unit tangent vector T
- c) curvature
- d) more than one answer works
- e) none of the above
- Prepare to share from your group's discussion. This may take the form of an assertion, question, definition, example, or other connection. It could also be something you tried and rejected.
- May be a lag at times—review related concepts and examples, add to your notes, or get to know each other!

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How did chain rule arise in the arc length s, T, velocity, speed, acceleration and jerk interactive video?

- a) In the prior video on the tractrix, it was a part of the computation of the arc length of the tractrix as it was needed for the velocity and hence speed, and we used that again in this video
- b) It arose in the proof that every differentiable curve that is regular can be reparameterized by arc length
- c) When we are computing T(t) instead of T(s), it's chain rule at work!
- d) all of the above
- e) exactly two of the above

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Arc Length *s* and Unit Tangent *T* of Helix Work with neighbors or check-in with them regularly:

- $\alpha(t) = (a\cos(t), a\sin(t), bt)$ where $a, b \in \mathbb{R}$ constants
 - Compute unit tangent $T(t) = \frac{\alpha'(t)}{|\alpha'(t)|}$
 - Compute arc length $s(t) = \int_{0}^{t} |\alpha'(u)| du$
 - Write the inverse function $t(\tilde{s})$ by solving for t
 - Reparameterize the curve by arc length $\beta(s) = \alpha(t(s))$



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Differential Geometry of Helix in Maple

- velocity, acceleration, jerk
- speed and arc length
- T in Frenet-Serret TNB Frame, curvature and torsion



http://previews.123rf.com/images/limbi007/limbi0071302/limbi007130200034/

17726502 - Orange-cartoon-characters-runs-on-the-green-helix--Stock-Photo-orange-spiral.



In physics and geometry, the lolcatenary is the curve that an idealized hanging lolcat assumes under its own weight when supported only at its ends.

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