## Mathematical Breakthroughs

- Mathematics research is like genealogical research-answers why
- Chose geometry because it is the most rewarding even though visualization does not come easily for me
- Count on my fingers

ALL YOU NEED IS


## A Rough Beginning to my Career: Freshman Year

- Our mother instilled the beliefs: try things at least once, work hard Freshman Year:
- Failed first test in college but improved to B+
- Guardian of my brother
- Simpsons on Sundays


## Diversity Issues

- Physics and computer science high school teacher
- "You don't look like a mathematician"


Representations of Spaces and Mathematics in Society

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- Representations of Spaces, Mathematicians, and Mathematics in Society \& Teaching

$\left(\frac{\text { SurfaceArea }(\mathcal{O})}{4 \pi}\right) \frac{1}{t}+\left(\frac{1}{64 \sqrt{\pi}} \int_{\operatorname{MirrorLocus}(\mathcal{O})} \tau\right) \sqrt{t}+\frac{\chi(\mathcal{O})}{6}+\ldots$


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## Paul Erdős number: 4

Asymptotic expansion of the heat kernel for orbifolds $\xrightarrow{\text { Carolyn S. Gordon }}$ Boundary volume and length spectra of Riemannian manifolds: what the middle degree Hodge spectrum doesn't reveal Jaun Pablo Rossetti Hearing the platycosms John Conway On the distribution of values of angles determined by coplanar points Paul Erdős

## Research on Representations of Mathematics in Society

Apu insists that he has an excellent memory: In fact I can recite $\pi$ to 40,000 places. The last digit is one! [Marge in Chains]

How many digits of $\pi$ do you know? What is the probability that Apu is correct if he randomly guessed?

## Hideaki Tomoyori: World Record 1987-1995



For example, the number sequence three-nine in Japanese is pronounced san-kyu, and that sounds very like the word sa-kyu, which means "sand dune". If I picture a sand dune, I easily remember the numbers three and nine. And if I add in other elements, like my wife standing in front of the sand dune by the bright sea, then those words in Japanese can remind me of a whole string of ten numbers.

## Hideaki Tomoyori: World Record 1987-1995



I feel that human abilities really have no limits. It's often said that we use just about five percent of our brain cells, so I think we have much greater potential - and I want to pursue that potential. So I want to go on with the challenge of memorizing $\pi$, for just the same reason that people climb high mountains. I think it's a wonderful thing to challenge the limits of what we can do... the more one memorizes of it, the closer one comes to the real value of the circle - closer to perfection.


Researchers compared his cognitive abilities with a control group and concluded that they were not superior; they attributed his achievement to extensive practice.

## Apu is Correct



- The 40,000 th digit of $\pi$ is one if he is counting digits following the decimal point
3.141592653589793238462643383279502884197169399375105820974944592307816406286208998628034825342117 0679821480865132823066470938446095505822317253594081284811174502841027019385211055596446229489549 3038196442881097566593344612847564823378678316527120190914564856692346034861045432664821339360726 0249141273724587006606315588174881520920962829254091715364367892590360011330530548820466521384146 $9519415116094330572703657595919530921861173819326117931051185480744623799627495673518 \ldots$

$$
\begin{gathered}
\text { Researching } 1 \text { Billion Digits of } \pi \\
\frac{1}{\pi}=12 \sum_{k=0}^{\infty} \frac{(-1)^{k}(6 k)!(545140134 k+13591409)}{(3 k)!(k!)^{3}(640320)^{3 k+\frac{3}{2}}}
\end{gathered}
$$



David and Gregory Chudnovsky (1989). Their algorithm is used by computer algebra software.

- David: Maybe in the eyes of God $\pi$ looks perfect... $\pi$ is the best stress test for a supercomputer
- Gregory: $\pi$ is a damned good fake of a random number... It cannot be that $\pi$ is truly random? Actually, a truly random sequence of numbers has not yet been discovered.
- David: Exploring $\pi$ is like exploring the universe.
- Gregory: It's more like exploring underwater. You are in the mud, and everything looks the same... Our computer is the flashlight


## Marge in Chains: The Simpsons



## The 40,000 th digit of $\pi$ is 1



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Bailey, Borwein and Plouffe, 1996

$$
\pi=\sum_{i=0}^{\infty} \frac{1}{16^{i}}\left(\frac{4}{8 i+1}-\frac{2}{8 i+4}-\frac{1}{8 i+5}-\frac{1}{8 i+6}\right)
$$

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The Simpsons: 22 Short Films About Springfield

## Outside Interests



- Hiking
- Music
- Travel

Jeff Westbrook: Nothing trains you better and gives you more analytical skills than mathematics. That skill is useful in the craziest places you might imagine: writing a TV show, writing a cartoon, and lawyering perhaps.


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